SCORE: 27/30 POINTS 4+23

- NO CALCULATORS OR NOTES ALLOWED 1.
- UNLESS STATED OTHERWISE, YOU MUST SIMPLIFY ALL ANSWERS 2.
- SHOW PROPER CALCULUS LEVEL WORK TO JUSTIFY YOUR ANSWERS

SCORE: 2/3 PTS A certain economist believes that the rate at which a person's wealth changes is proportional to the difference between their country's median wealth and their own wealth. Assuming that median wealth is a constant (W_{MEDIAN}), and that wealthy people (people with a lot of wealth) tend to get wealthier, write a differential equation for the wealth W(t) of a wealthy person at time t. NOTE: The sign of all constants should be stated clearly.

$$W(t)$$
 = weighth of a person at time t
 $\frac{dW}{dt} = K(W - W_{MEDIAN})$

What does the Existence and Uniqueness Theorem tell you about possible solutions to the initial value problem SCORE: 4 PTS $\left(\frac{dy}{dt}\right)^3 + 1 = y$, y(3) = 1? Justify your answer properly, but briefly.

$$\frac{dy}{dx} = \frac{3}{(\lambda - 1)} \frac{(3, 1)}{\sqrt{3}}$$

$$\frac{dx}{dx} = \frac{(\lambda - 1)}{\sqrt{3}} \frac{(3, 1)}{\sqrt{3}}$$

$$\frac{3\lambda^{-1}}{9t} = \frac{3(\lambda - 1)_{3/2}}{12(\lambda - 1)_{3/2}}$$

 $\frac{(\frac{dy}{dx})^3}{(\frac{dx}{dx})^3} = y - 1$ $\frac{(3,1)}{(\frac{dx}{dx})^3} = y - 1$ $\frac{(3,1)}{(\frac{dx}{dx}$

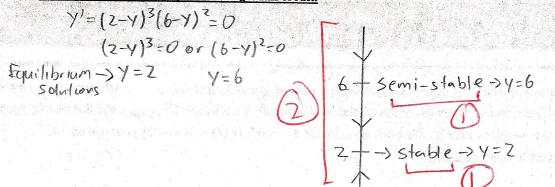
Consider the IVP y' = x(y-1), y(2) = 6. Use Euler's method with h = 0.1 to estimate y(2.2).

SCORE: 4 / 4 PTS

the IVP
$$y = x(y-1)$$
, $y(2) = 6$. Use Euler's method with $n = 0.1$ to estimate $x_0 = 2$ $y_0 = 6$
 $y_{n+1} = y_n + f(x_n, y_n)y_1$
 $y_1 = y_0 + (x_0(y_0-1))y_1 = 6 + (z_0(z_0))(0.1)$
 $y_2 \approx y(z_1 + z_0 + z_0) \approx y(z_0 + z_0) = 7 + (z_0(z_0))(0.1)$
 $y(z_0 = z_0) \approx y(z_0 + z_0)(0.1)$
 $y(z_0 = z_0) \approx y(z_0 + z_0)(0.1)$

[a] Find all equilibrium solutions of the DE and classify each as stable, unstable or semi-stable.

You must draw a phase portrait to get full credit.



[b] If y = f(x) is a solution of the DE such that f(7) = 1, what is $\lim_{x \to \infty} f(x)$?

$$\lim_{x\to\infty}f(x)=2^{\frac{1}{2}(1)}$$

[c] If y = g(x) is a solution of the DE such that g(8) = 5, what is $\lim_{x \to \infty} g(x)$?

Consider the DE $x^2y'' - xy' + y = \sqrt{x}$.

SCORE: 7 /7 PTS

[a] Is $y = 4\sqrt{x} + Ax + Bx \ln x$ a family of solutions of the DE?

$$y' = 2x^{1/2} + A + B(\ln x + \frac{x}{x})$$
 $y' = 2x^{-1/2} + A + B(\ln x + 1)$,

 $y'' = -x^{-1/2} + \frac{B}{x}$.

 $x^2y'' - xy' + y = x^2(-x^{-3/2} + \frac{B}{x}) - x(2x^{-1/2} + A + B \ln x + B) + 4x^{-1/2} + Ax + Bx \ln x$
 $= -x^{1/2} + Bx - 2x^{-1/2} - Ax - Bx + x - Bx + 4x^{-1/2} + Ax + Bx \ln x$
 $x^{1/2} = Jx$
 $y' = 2x^{-1/2} + A + B(\ln x + \frac{x}{x})$
 $y' = 2x^{-1/2} + A + B(\ln x + \frac{x}{x})$
 $x^{1/2} = -x^{-1/2} + A + B(\ln x + B) + 4x^{-1/2} + Ax + Bx \ln x$
 $y' = -x^{-1/2} + B + B(\ln x + B) + 4x^{-1/2} + Ax + Bx \ln x$
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[b] If the answer to [a] is "YES", solve the IVP consisting of the DE and the initial conditions y(1) = 6, y'(1) = 2. If the answer to [a] is "NO", write "SKIP" and skip this part.

$$V(1)=6$$
 $Y'(1)=2$
 $Y=4\sqrt{x}+2x-2x\ln x$
 $A=2$
 $Z=Z+Z+B$
 $Z=Z+Z+B$
 $Z=Z+Z+B$
 $Z=Z+Z+B$

MULTIPLE CHOICE] Write the letter of the correct answers in the spaces below.		
NSV	NSWERS: 11 d 2 e 3 d 4 f 5 6	
11	How much of your learning does the instructor believe comes from your daily reading and homework combined?	
a]	40%	
b]	50%	
cĺ	60%	
d]		
e]		
2	Which statement below regarding tests (quizzes, midterms, final exam) is false ?	
a]	If you continue writing on your test after the stated ending time, you will receive a 0 for that test.	
b] c]	There are no make-ups for missed quizzes. The instructor expects you to be able to identify and execute solutions on midterms more quickly than on quizzes	
oj.	because you should have had much more practice.	
d] e]	If your tablet, phone, computer etc. makes an audible noise during a test, you will lose 10% of all points available on that test. If you cannot make the scheduled final exam time for any reason, your final exam can be rescheduled.	
3	Proper use of the textbook for this class includes	
a]	understanding all the terminology used in the book	
b]	working out the given examples yourself and checking that you are able to get the same results as the book \(\)	
c]	reading the sections of the textbook before the corresponding lecture $\sqrt{}$	
d] e]	all of the previous answers [a], [b] and [c] some, but not all, of the previous answers [a], [b] and [c]	
4]	If you score 120 points on Midterm 1, 140 points on Midterm 2 and 145 points on Midterm 3, which midterm score(s) will be changed, and to what value? (HINT: You are encouraged to start studying regularly early in the quarter.)	
a]	Midterm 1's score will be changed to 145 (the highest midterm score) X	
b]	Midterm 1's score will be changed to $(120 + 140 + 145) \div 3 = 135$ (the average of all midterm scores)	
c]	Midterm 1's score will be changed to $(120 + 140) \div 2 = 130$ (the average of Midterm 1's and Midterm 2's scores)	
d]	Midterm 1's score will be changed to $(120 + 145) \div 2 = 132.5$ (the average of Midterm 1's and the highest midterm's scores) Midterm 1's score will be changed to $(120 + 145) \div 2 = 132.5$ and Midterm 2's score will be changed to $(140 + 145) \div 2 = 142.5$	
e]	(the average of each midterm's and the highest midterm's score)	
f]	no midterm scores will be changed	
5]	If you score 140 points on Midterm 1, 120 points on Midterm 2 and 145 points on Midterm 3,	
	which midterm score(s) will be changed, and to what value?	
a]	Midterm 2's score will be changed to 145 (the highest midterm score)	
b]	Midterm 2's score will be changed to $(120 + 140 + 145) \div 3 = 135$ (the average of all midterm scores)	
c]	Midterm 2's score will be changed to $(120 + 140) \div 2 = 130$ (the average of Midterm 2's and Midterm 1's scores)	
d]	Midterm 2's score will be changed to $(120 + 145) \div 2 = 132.5$ (the average of Midterm 2's and the highest midterm's scores) Midterm 1's score will be changed to $(140 + 145) \div 2 = 142.5$ and Midterm 2's score will be changed to $(120 + 145) \div 2 = 132.5$	
e]	(the average of each midterm's and the highest midterm's score)	
f]	no midterm scores will be changed	
6]	Which statement below regarding attendance is false ?	
a]	Whenever you come into class (whether on time or late), you should sign in on the attendance spreadsheet right away.	
b]	Arriving late on a quiz or midterm day will not be counted as late.	
c]	Unexcused early departures are considered absences.	
d]	If you have perfect attendance and classroom behavior for the first 7 weeks, and do not show up again after that,	
el	you will receive an F for the course. Attendance policies will not apply to you if you score more than 80% on every midterm.	
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